

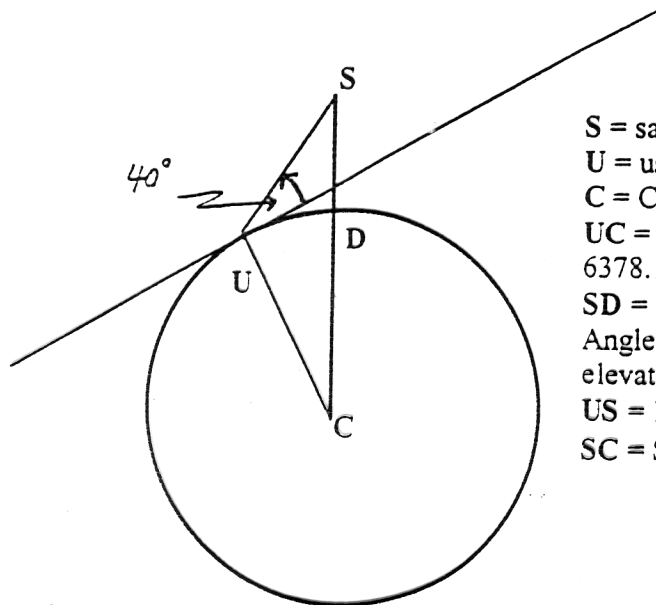
**Teledesic System:**  
 A = End user number 1  
 B, C, D are Teledesic satellites  
 E = End user number 2  
 ..... = Teledesic ISL paths  
 (Control links not shown)

**Skybridge System:**  
 A = End user number 1  
 B, C, D are Skybridge satellites  
 E = End user number 2  
 S1 = Skybridge Gateway 1  
 S2 = Skybridge Gateway 2

--- = Skybridge gateway links to Skybridge satellite  
 - . . . = fiber optic long haul link between Skybridge gateways

Problem Statement

- Skybridge users transmit to the nearest satellite, which transmits these signals down to the nearest gateway earth station, and thence to the far end over a standard PSTN fiber optic long haul link  
A to B to S1 to S2
- Teledesic users send their signals to the nearest satellite, which then sends the signals via ISL links to the appropriate satellite at the far end.
- The longest path to either satellite system occurs with the minimum elevation angle,  $40^\circ$



S = satellite  
 U = user  
 C = Center of earth  
 UC = DC = radius of earth = 6378.137 km  
 SD = satellite height = 1,400 km  
 Angle SUC = 130° (minimum elevation angle of 40° + 90°)  
 US = longest path  
 SC = SD + DC = 7,778.137 km

(d) By the Law of sines

$$\frac{\sin(\angle USC)}{UC} = \frac{\sin(\angle CUS)}{SC} = \frac{\sin(\angle UCS)}{SD + DC}$$

$$\frac{\sin(\angle USC)}{6378.137 \text{ km}} = \frac{\sin(130^\circ)}{1,400 \text{ km} + 6378.137 \text{ km}}$$

$$\therefore \text{angle}(\angle USC) = 38.9147^\circ$$

$$\text{angle}(\angle UCD) = 180^\circ - 130^\circ - 38.9147^\circ = 11.0853^\circ$$

Again, by the law of sines

$$\frac{SU}{\sin(\angle UCD)} = \frac{SC}{\sin(\angle SUC)}$$

$$SU = \frac{(7,778.137 \text{ km}) \sin(11.0853^\circ)}{\sin 130^\circ} = \frac{(7,778.137)(0.1923)}{0.7660} = 1,952.2417 \text{ km}$$

Now, for a path length of 1,952.2417 km, the ~~path delay~~

$$\text{Path delay} = \frac{\text{distance}}{\text{Velocity}} = \frac{1,952.2417 \text{ km}}{2.997(10^8) \text{ m/sec}} = \boxed{6,514 \text{ m seconds}}$$

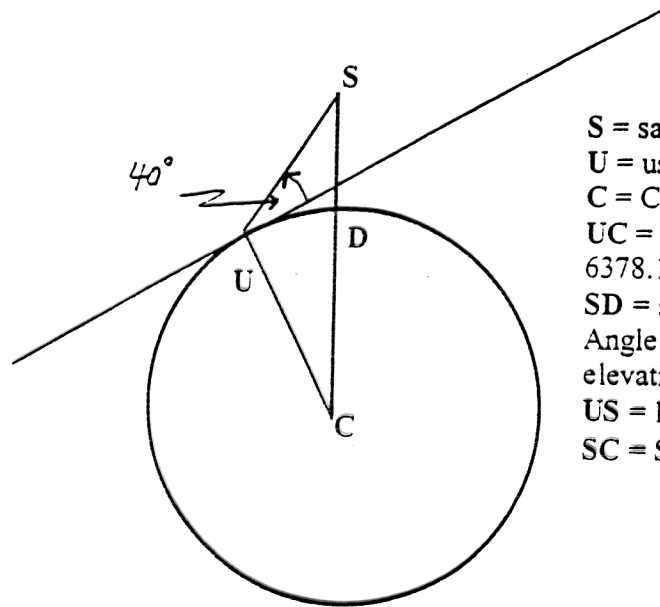
e) The Tele-desic user-to-user path = uplink + cross-link + cross-link + downlink  
 $= 1952.2417 \text{ km} + 6,000 \text{ km} + 1952.2417 \text{ km} = 9,904.4834 \text{ km}$

$$\therefore \text{The one-way path delay is } \frac{9,904.4834 \text{ km}}{2.997(10^8) \text{ m/sec}} = \boxed{33 \text{ m seconds}}$$

f) The skybridge user-to-user path = uplink (from user) + downlink (to gateway) + 8000 km + uplink (from gateway) + downlink to user

$$\begin{aligned}
 &= 1952.2417 \text{ km} + 1952.2417 \text{ km} + 8000 \text{ km} + 1952.2417 \text{ km} + 1952.2417 \text{ km} \\
 &= 15,808,966.8 \text{ meters}
 \end{aligned}$$

$$\therefore \text{one way path delay} = \frac{15,808,966.8 \text{ meters}}{2.997(10^8) \text{ m/sec}} = \boxed{52.7 \text{ m seconds}}$$



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 6378.137 km  
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 elevation angle of  $40^\circ + 90^\circ$ )  
 US = longest path  
 SC = SD + DC = 7,778.137 km

9) A window has to be long enough to permit an ACK signal to be returned to the sender terminal so that no time-out interrupts the message. The minimum window time is therefore double the one way delay time

$\therefore$  Teledesic

$$\begin{aligned}
 & 33 \text{ m seconds} + 33 \text{ m seconds} \\
 & = \boxed{66 \text{ m seconds}}
 \end{aligned}$$

skybridge

$$\begin{aligned}
 & 52.7 \text{ m seconds} + 52.7 \text{ m seconds} \\
 & = \boxed{105.2 \text{ m seconds}}
 \end{aligned}$$